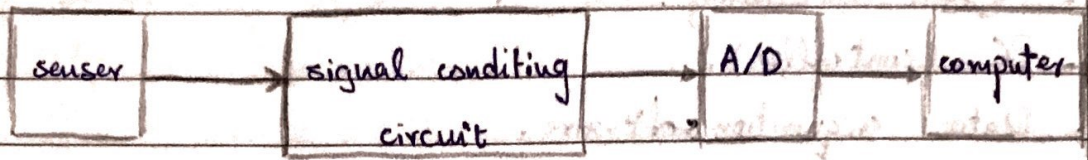


## Data acquisition

تقني أخذ البيانات واستخلاص البيانات



for TTL

0 1

which means 0V 5V

from the range (0 ~ 0.8V) (2 ~ 5.5V)

for CMOS

0 1

from the range 0V 3 ~ 18V





## Fundamentals of Data acquisition

- Sensor and transducer.
- Field wiring.
- Signal conditioning.
- PC (controller).
- Data acquisition software.

المدخلات :

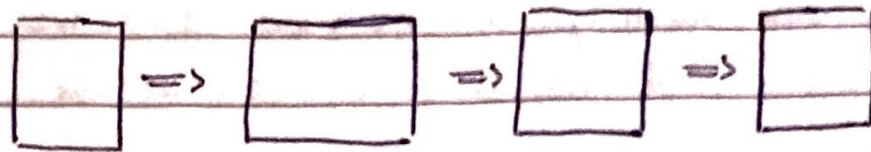
"Range" المدى

"Span" النطاق

"transfer function" scale factor : "Sensitivity" الحساسية

\* Text book : Process control instrumentation Technology  
by : Curtis D. Johnson





sensor

signal  
conditioning

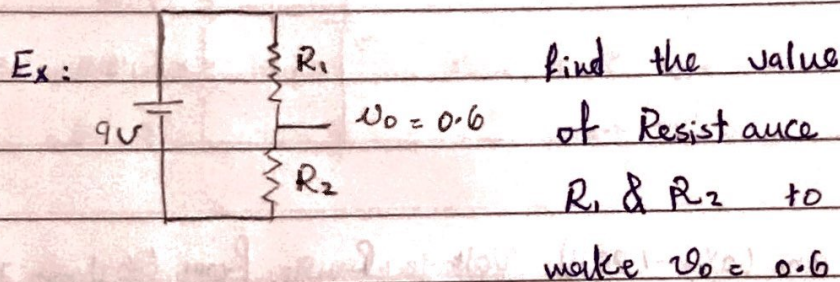
A/D

computer

For good design

choose available Power supply (1.5, 4.5, 9, 6, 12) V.

choose available Resistance with suitable Power (w).



دو زبطه  
 (10 ~ 20) mA

from the voltage divider rule  $V_0 = V_s \frac{R_2}{R_1 + R_2}$

$$0.6 = 9 \cdot \frac{R_2}{R_1 + R_2}$$

$$0.6 R_1 = (9 - 0.6) R_2 \Rightarrow R_1 = 14 R_2$$

Note range of the Bridge لا يمكن التوصل إلى  
 مبدأ من المبدأ ، بالخطوة إلى أنه يتغير مع كل التغيرات ،  
 voltage of OHM is



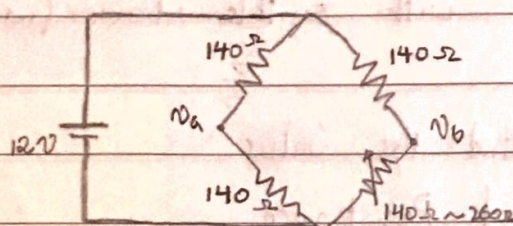


Ex: RTD with sensitivity  $1.5 \Omega/^{\circ}\text{C}$  and its value at  $0^{\circ}\text{C} = 140 \Omega$ , find the range ( $0 \sim 80^{\circ}$ ) in ohm, design circuit to convert the range to volt

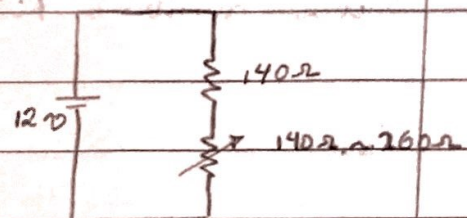
Sol:

the range From  $140 \Omega$  to  $(140 + 1.5 \times 80) \Omega$

Wheatstone Bridge



voltage divider



Voltage Range From ( $0\text{V} \sim 1.8\text{V}$ )

Voltage Range From ( $6\text{V} \sim 7.8\text{V}$ )

$$\Delta V = V_a - V_b ; V_a = 6\text{V}$$

$$\text{at RTD} = 140 \Omega ; V_b = 6\text{V}$$

$$\Delta V = 0\text{V}$$

$$\text{at RTD} = 260 \Omega ; V_b = 7.8\text{V}$$

$$\Delta V = 1.8\text{V}$$

Nulling equation  $R_1 R_4 = R_2 R_3$





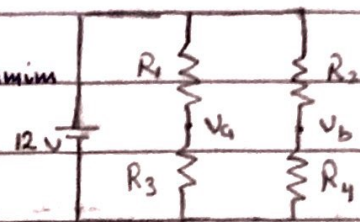
Ex: using the resistance  $130\ \Omega$ ,  $270\ \Omega$  using the RTD with sensitivity  $1.5\ \Omega/^{\circ}\text{C}$  it's value at  $0^{\circ}\text{C} = 140\ \Omega$ , design circuit to convert the range in voltage.

Sol

use  $130\ \Omega$  for  $R_1$  &  $270\ \Omega$  for  $R_2$  and RTD for  $R_4$  from the nulling equation

$$R_3 = \frac{R_1 R_4}{R_2} \quad ; \quad \text{where } R_4 \text{ at minimum}$$

$$R_3 = 67.4074\ \Omega$$



at  $R_4 = 140\ \Omega$  ;  $V_a = 4.09\ \text{V}$  ,  $V_b = 4.09\ \text{V}$   $\Delta V = 0\ \text{V}$

at  $R_4 = 260\ \Omega$  ;  $V_a = 4.09\ \text{V}$  ,  $V_b = 5.88\ \text{V}$   $\Delta V = 1.79\ \text{V}$

the Range in Voltage ( $0 \sim 1.79\ \text{V}$ )

Ex: Pressure sensor sensitivity  $0.09\ \text{V}/\text{bar}$  and its value at  $0\ \text{bar} = -0.2\ \text{V}$ , Determine its output range for the Pressure ( $0 \sim 140\ \text{bar}$ ), Design signal conditioning circuit for A/D circuit reference ( $0 \sim 5\ \text{V}$ )

Sol :

12.4

the output range in volt from  $-0.2\ \text{V}$  to  $(-0.2 + 140 * 0.09)\ \text{V}$   
 A/D reference ٥ فولت

$$0 = -0.2\ \text{V} + \text{offset}$$

$$5 = 12.4\ \text{V} + \text{offset} \quad ; \quad M = 0.3968 \quad , \quad \text{offset} = 0.07436$$





$$v_0 = 0.3968 v_i + 0.07936$$

نقوم بالتحقق من خريفة الجدول كالاتي

$v_i$       -0.2      6.1      12.4

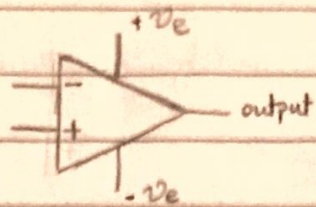
$v_{out}$       0      2.5      5       $\Rightarrow$  should be result

0      2.499      4.999       $\Rightarrow$  the number from the equation

اختبرنا 6.1 لانها في المنتصف بين -0.2 و 12.4

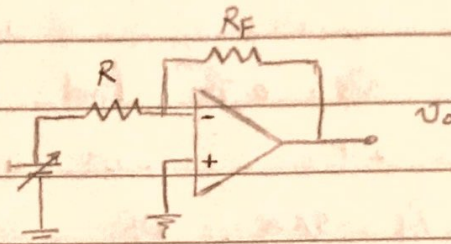






$\pm 15$  it's means that  
the different between  
the inputs can be up to  
30 volt

inverting amplifier



خارجي أو داخلي  
بالضرب gain

$$\frac{V_o}{V_i} = - \frac{R_F}{R}$$

Ex: if signals  $V_s = 0.8\text{V}$ , find (3 $\times$ ,  $\frac{5}{2}$ , 2.5 $\times$ )

1.  $R_F = 3R$

$$V_o = -3 \times 0.8 = -2.4$$

let  $R_i = 1\text{k}\Omega$

$$R_F = 3\text{k}\Omega$$

2.  $R_F = \frac{1}{2} R_i$

$$V_o = -\frac{1}{2} \times 0.8 = -0.4$$

let  $R_i = 1\text{k}\Omega$

$$R_F = 500\Omega$$

3.  $R_F = 2.5 R_i$

$$V_o = -2.5 \times 0.8 = -2$$

let  $R_i = 1\text{k}\Omega$

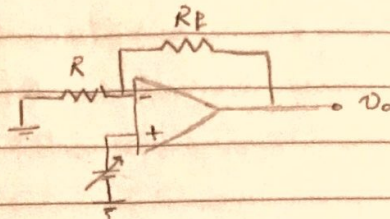
$$R_F = 2.5\text{k}\Omega$$

لنأخذ gain ال gain الضرب amplifier آخره لا الضرب





non-inverting amplifier



$$\frac{V_o}{V_i} = 1 + \frac{R_F}{R}$$

Ex: if signals  $V_i = 0.75$  find  $V_o$

$$R_1 = 1k\Omega \text{ so } R_F = 4k\Omega \quad \text{OR} \quad R_1 = 3k\Omega \text{ so } R_F = 12k\Omega$$

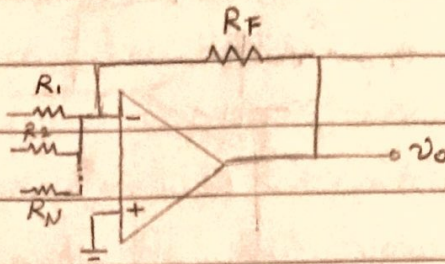
$$V_o = (1 + 4) V_i = 3.75 \text{ volt}$$

حيث وجود ال +1 في القانون





## Summing Amplifier



$$V_0 = - \left( \frac{R_F}{R_1} V_1 + \frac{R_F}{R_2} V_2 + \dots + \frac{R_F}{R_N} V_N \right)$$

Ex:  $V_1 = 1.25$  volt,  $V_2 = 0.67$  volt,  $V_3 = 0.8$  volt

Find  $V_1 + V_2$ ,  $V_1 + 2V_2$ ,  $\frac{1}{2}V_1 + 2V_2 + 0.2V_3$ , The average of them

1

$$R_1 = 1k\Omega$$

$$R_2 = 1k\Omega$$

$$R_F = 1k\Omega$$

$$V_0 = \frac{R_F}{R_1} V_1 + \frac{R_F}{R_2} V_2$$

$$V_0 = 1.92 \text{ volt}$$

2

$$R_1 = 1k\Omega$$

$$R_2 = 500\Omega$$

$$R_F = 1k\Omega$$

$$V_0 = \frac{R_F}{R_1} V_1 + \frac{R_F}{R_2} V_2$$

$$V_0 = 1.585 \text{ volt}$$

3

$$R_1 = 500\Omega$$

$$R_2 = 2k\Omega$$

$$R_3 = 5k\Omega$$

$$R_F = 1k\Omega$$

$$V_0 = \frac{R_F}{R_1} V_1 + \frac{R_F}{R_2} V_2 + \frac{R_F}{R_3} V_3$$

$$V_0 = 2.125 \text{ volt}$$

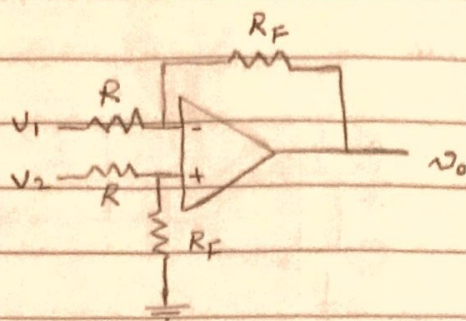
to find the average make the gain  $\frac{1}{N}$   
 $N$ : number of them

Note: to find  $V_1 - V_2$  without mines make  $V_2 - V_1$





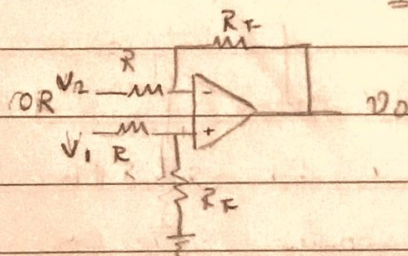
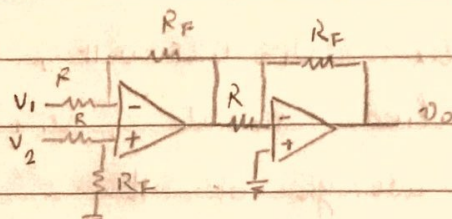
subtractor amplifier



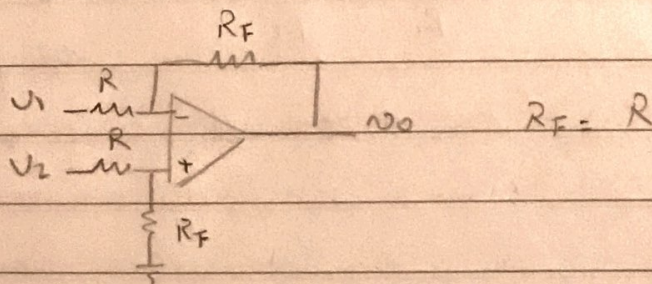
$$V_0 = -\frac{R_F}{R} (V_1 - V_2) = \frac{R_F}{R} (V_2 - V_1)$$

Ex : if  $V_1 = 1.25$  volt,  $V_2 = 0.87$  volt find  $V_1 - V_2$ ,  
 $V_2 - V_1$

make  $R_F = R$  to find  $V_1 - V_2$



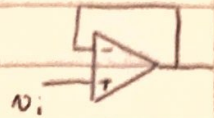
to find  $V_2 - V_1$





Buffer

we use it to split between the stages  
and make more fan out



Ex: using RTD with sensitivity  $1.5 \Omega/^\circ$  in the temperature range ( $20^\circ \sim 80^\circ$ ) and the RTD value at  $0^\circ\text{C} = 120 \Omega$ , calculate its range in ohm & volt.

- Design circuit to convert the range into volt (using the Bridge)
- Design signal conditioning circuit to use (0~5) ADC

Solution:

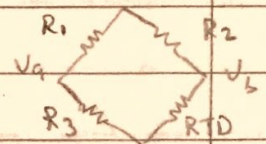
$$\text{at minimum } 20^\circ \quad \text{RTD} = 120 + 1.5 \times 20 = 150 \Omega$$

$$\text{at maximum } 80^\circ \quad \text{RTD} = 120 + 1.5 \times 80 = 240 \Omega$$

$$\text{so let } R_1, R_2, R_3 = 150$$

and the power supply 9V

at nulling



$$V_a = 9 \times \frac{150}{300} = 4.5 \text{ volt}$$

$$\text{at nulling } V_b = 9 \times \frac{150}{300} = 4.5 \text{ Volt}$$

$$\Delta V = 0 \text{ Volt}$$

$$\text{at maximum } V_b = 9 \times \frac{240}{150 + 240} = 5.53846 \text{ Volt}$$

$$\Delta V = -1.03846$$

Range in ohm ( $150 \sim 240$ )  $\Omega$

Range in volt ( $0 \sim 1.038$ ) volt





to find the signal conditioning circuit

$$0 = M \cdot 0 + \text{offset}$$

$$5 = M \cdot 1.038 + \text{offset}$$

$$M = 4.81695$$

$$\text{offset} = 0$$

$$V_{in} \quad 0 \quad 0.5016 \quad 1.038 \quad \text{المعيار } V_{in}$$

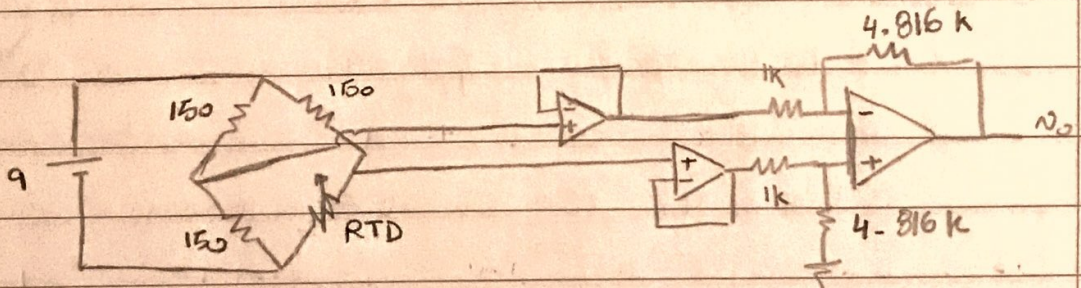
$$V_{out} \quad 0 \quad 2.5 \quad 5 \quad \Rightarrow \text{should be result}$$

$$V_{out} \quad 0.004 \mu \quad 2.416 \quad 5.002$$

from Computer Lab

using RTD: 187.635 for  $\Delta V = 0.5016$

$$V_o = 4.816(V_b - V_a)$$



$$V_o = -\frac{R_F}{R} (V_a - V_b)$$

$$V_o = -\frac{4.816}{1} (V_a - V_b) = 4.816(V_b - V_a)$$





Ex: using RTD with sensitivity  $0.39 \Omega/^\circ\text{C}$  in the range  $(0^\circ \sim 100^\circ)$ , RTD =  $170 \Omega$  at  $0^\circ\text{C}$ , use 9V supply, the two resistance  $140 \Omega$  &  $180 \Omega$  (using bridge)

- calculate the range in ohm & volt
- Design signal conditioning circuit to  $(0 \sim 4\text{V})$  reference ADC

Solution:

at minimum: RTD =  $170 \Omega$

at maximum RTD =  $170 + 0.39 * 100 = 209 \Omega$

Range in ohm  $(170 \sim 209) \Omega$



let  $R_1 = 140 \Omega$ ,  $R_2 = 180 \Omega$ , RTD =  $170 \Omega$

$$R_3 = \frac{R_1 R_2}{RTD} = \frac{140 \times 180}{170} = 132.22 \Omega$$

$$V_a = 9 \times \frac{R_3}{R_1 + R_3} = 4.371 \text{ V}$$

$$\text{at minimum } V_b = 9 \times \frac{170}{170 + R_2} = 4.371 \text{ V}, \Delta V = 0 \text{ Volt}$$

$$\text{at maximum } V_b = 9 \times \frac{209}{209 + R_2} = 4.835 \text{ V}, \Delta V = 0.464 \text{ V}$$

Range in Volt  $(0 \sim 0.464) \text{ Volt}$



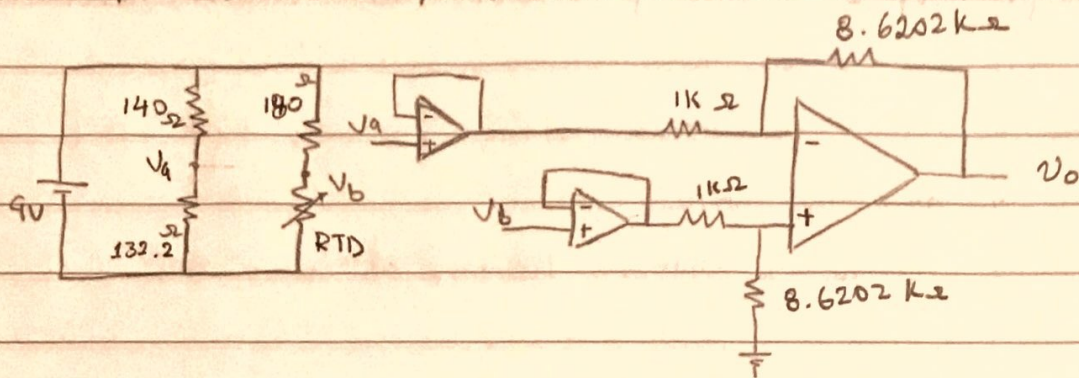


For the signal conditioning circuit

$$O = M^* O + \text{offset}$$

$$y = \mu^* 0.464 + \text{offset}$$

$M = 8.6202$ , offset = 0



$$W_0 = 8.6202 (V_b - V_a)$$

Ex: Pressure Sensor sensitivity  $0.2 \text{ V/bar}$  and its output at  $0 \text{ bar} = 0.0 \text{ V}$ , calculate its range in volt (in  $\pm 10 \text{ bar}$ )

- Design S.C. circuit for  $(0 \sim 3)$  voltage reference ADC

Solution :

at minimum sensor value  $0.8 + 0.2 * -10 = -1.2$  Volt

at maximum sensor value  $0.8 + 0.2 \times 10 = 2.8$  volt

Range in volt ( $-1.2 \sim 2.8$ ) volt

For the S-C circuit

$$0 = M^* - 1.2 + \text{offset}$$

$$M = 0.75$$

3 = 17<sup>th</sup> 2.8 + offset

off set = 0.9





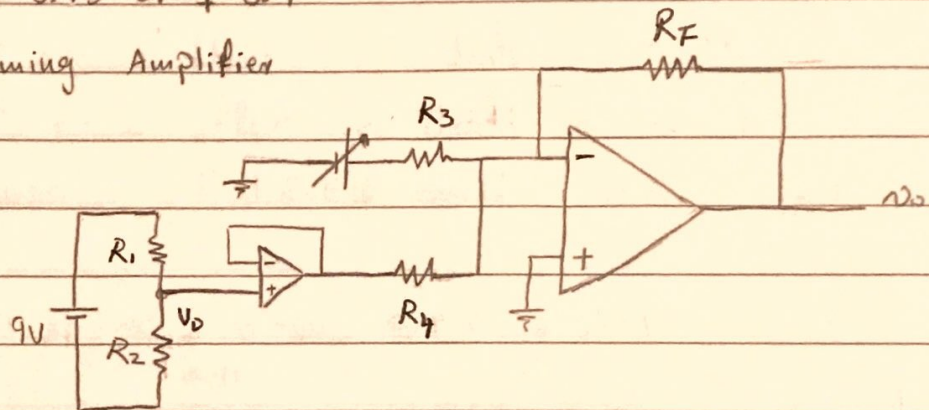
ملاحظات:

- \* عندما تكون بداية المدخل سالبة نوعه لا offset موجب
- " الإضافة إلى أنه نتيجة ال offset تكون موجبة "
- \* عندما تكون بداية المدخل موجبة ، أكبر عن صفر نوعه
- لا offset سالبة " كما أنه نتيجة ال offset تكون سالبة "
- \* في حالة "  $V_o = M V_i + \text{offset}$  " سيؤول Summing Amplifier
- \* في حالة "  $V_o = M V_i - \text{offset}$  " سيؤول Subtractor Amplifier
- و يوجد ال offset في inverting terminated

Con. Solution:

$$V_o = 0.75 V_i + 0.9$$

using Summing Amplifier



0.9

$$V_0 = 9 \times \frac{R_2}{R_1 + R_2} \Rightarrow R_1 = 9R_2$$

$$R_4 = 0.75 \text{ k}\Omega, \quad R_3 = 1 \text{ k}\Omega, \quad R_F = 0.75 \text{ k}\Omega, \quad R_1 = 9 \text{ k}\Omega, \quad R_2 = 1 \text{ k}\Omega$$

العلاقة بين  $\frac{R_F}{R_3}$  يجب أن تساوي M ،  $\frac{R_F}{R_4}$  تساوي 1 حتى يدخل ال offset كما هو

نحصل على ال offset عن طريق جزاء الجزء

\* يجب استدل Buffer للفصل بين جزاء الجزء و amplifier





Ex: Pressure sensor sensitivity  $0.31 \text{ V/bar}$  and its output at  $0 \text{ bar} = -0.5 \text{ V}$ .

- calculate its output in the range  $(\pm 12 \text{ bar})$ .

- Design S.C. ckt for  $(0 \sim 6)$  ADC voltage reference.

Solution:

minimum sensor output value  $-0.5 + 0.31 * 12 = -4.22 \text{ V}$

maximum sensor output value  $-0.5 + 0.31 * 12 = 3.22 \text{ V}$

Output range  $(-4.22 \sim 3.22) \text{ V}$

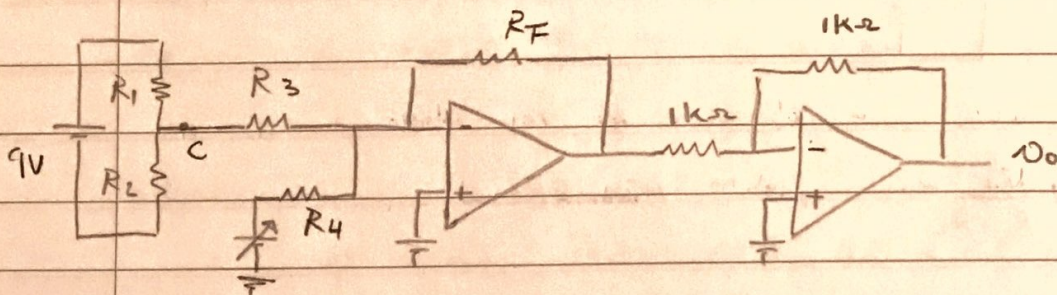
for S.C. ckt

$$0 = M * -4.22 + \text{offset}$$

$$6 = M * 3.22 + \text{offset}$$

$$M = 0.80645 \quad \text{offset} = 3.403$$

$$V_0 = 0.8064 V_i + 3.403$$



$$\frac{R_F}{R_4} = 0.8064 \quad R_F = 1 \text{ k}\Omega \quad R_4 = 1.24 \text{ k}\Omega$$

$$\frac{R_F}{R_3} = 1 \quad R_3 = 1 \text{ k}\Omega \quad \text{at point C} = 3.403 \text{ V}$$

$$\text{So } R_1 = 1.6447 R_2 \quad R_1 = 1.64 \text{ k}\Omega \quad R_2 = 1 \text{ k}\Omega$$

using voltage divider

Rule





Ex: Pressure Sensor sensitivity 0.22 V/bar and it's output at 0 bar = 0.7 V

- calculate it output in the range (0 ~ 20) bar
- Design S.C. cct for (0 ~ 6) ADC

Solution:

minimum at 0 bar

Output Range (0.7 ~ 0.7 + 0.22 \* 20)

↳ 5.1 → maximum at 20 bar

For S.C. cct

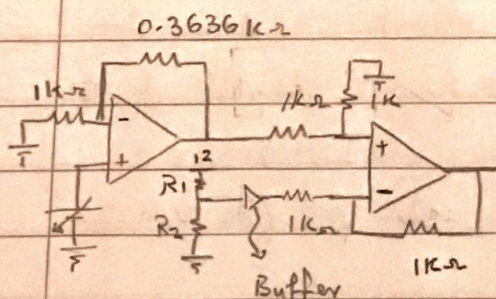
$$0 = M * 0.7 + \text{offset}$$

$$6 = M * 5.1 + \text{offset}$$

$$M = 1.3636, \text{ offset} = -0.9545$$

$$V_o = 1.3636 V_i - 0.9545$$

for the value of offset we can take it by the voltage divider Rule with supply 12 volt  $R_1 = 11.572 R_2$



هناك ثلاثة طرق للحل

1- هذه الطريقة تعتمد على الحصول على gain الذي يجب ان يساوي M في non-inverting amplifier

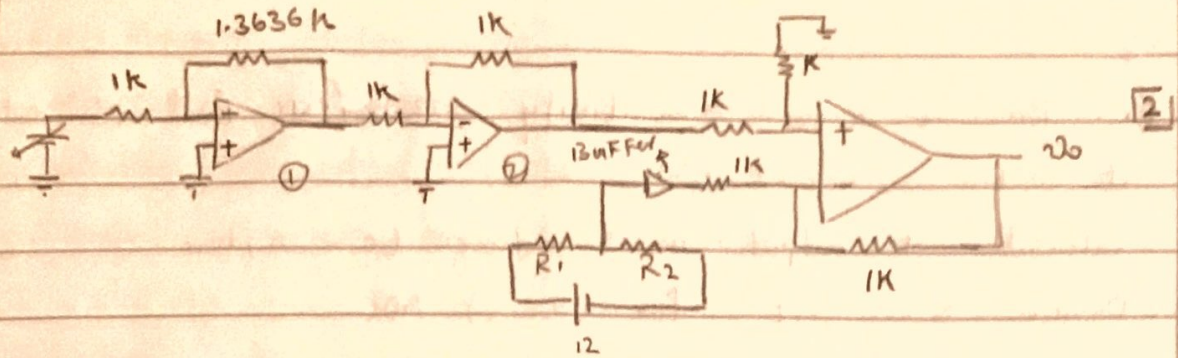
2- يجب مراعاة أن هذه non-inverting amplifier و subtractor amplifier

لذا نحتاج دارة مدمجة واحدة M للحصول على gain المطلوب

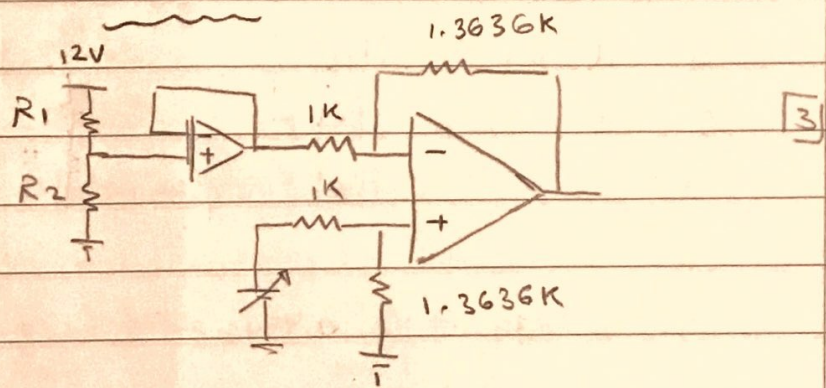


$$V_o = \left( \frac{0.3636}{1} + 1 \right) V_{in}$$





في هذه الطريقة نستعمل inverting amplifier للحصول على gain  $v_o = -\frac{R_F}{R} v_i$  لكن علينا مراعاة الإشارة السالبة لذا لنحصل منها نقوم بالضرب في gain أخرى بقيمة -1 وهو ما نحصل عليه من second amplifier أو subtractor amplifier



في هذه الحالة نقوم باستعمال subtractor amplifier ونقوم بتغيير قيمة ال offset لها يتناسب مع المعادلة  $v_o = 1.3636 (v_i - 0.6999) = 1.3636 v_i - 0.9545$  حيث نرسل ال offset بالقيمة 0.6999 وذلك عن طريق تعديل المقاومة لتصبح  $R_1 = 16.145 R_2$

$$v_o = \frac{R_F}{R} (v_2 - v_1) \text{ حيث}$$

ملحوظة هامة: كلما كانت الطريقة أقرب على amplifiers أقل كلما كانت أفضل ، لذا فالطريقة الثالثة هي أفضل حل





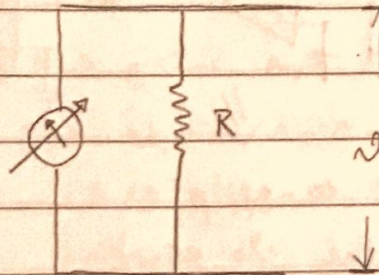
Ex: Accelerometer sensitivity  $0.2 \text{ mA/g}$ , calculate it's output range in  $(\pm 10 \text{ g})$

- Design signal conditioning circuit for  $(0 \sim 3) \text{ ADC}$

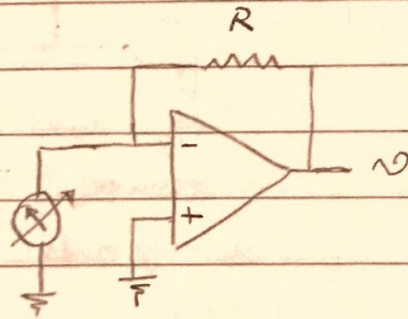
Solution:

Output Range in Amper ( $0.2 \text{ mA} \cdot 10 \sim 0.2 \text{ mA} \cdot 10$ ) Amp

to convert current to voltage there is two ways



$$V = R \cdot I$$



$$V = -RI$$

في كلا الحالتين يجب مراعاة قيمة المقاومة لا زلتا مستطاع  
Voltage Range

in case we choose  $1 \text{ k}\Omega$

the Output Range in Volt  
( $-2 \text{ V} \sim 2 \text{ V}$ )

For example

$$100 \text{ k}\Omega \Rightarrow \pm 200 \text{ V}$$

$$10 \text{ k}\Omega \Rightarrow \pm 20 \text{ V}$$





for S.C. cct

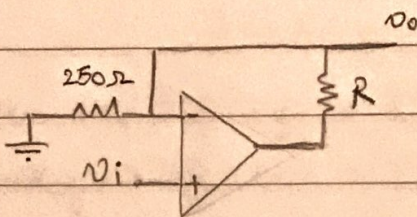
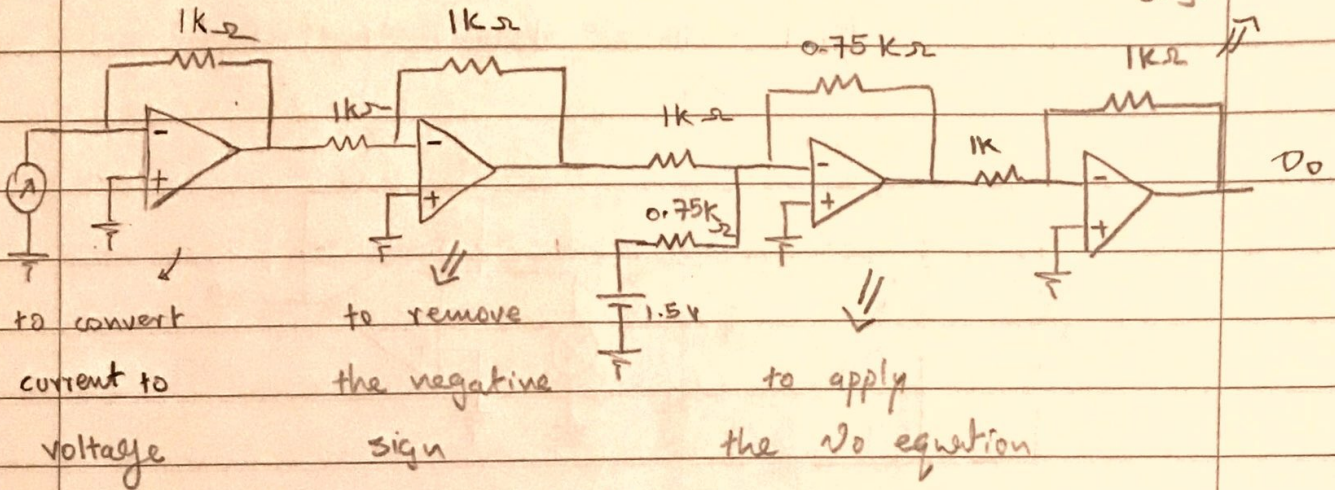
$$0 = M \cdot -2 + \text{offset}$$

$$3 = M \cdot 2 + \text{offset}$$

$$M = 0.75, \text{ offset} = 1.5$$

$$V_o = 0.75 V_i + 1.5$$

to remove  
the negative  
sign



4mA ~ 20mA transmitter

has current range 4mA ~ 20mA

Voltage range (1 ~ 5)V

\* هدي التيار، يبدأ من 4mA حتى نفوق بينه المجهز إذا كان  
مطلوب أو لا حيث أن 0mA تعني أن المجهز مطلوب و 4mA  
تعني أن المجهز يعمل

\* يجب اختيار قيمة مقاومة صغيرة حتى لا يكون شكل موجة

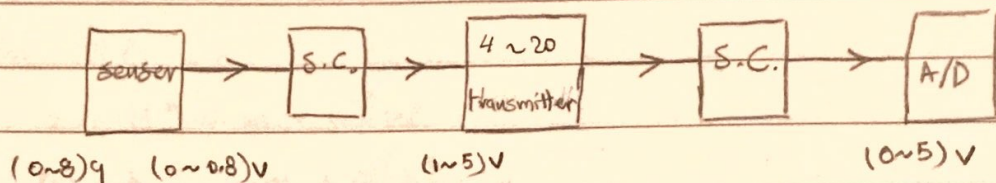




Ex: Accelerometer sensitivity  $0.1 \text{ V/g}$  for the range  $(0 \sim 8) \text{ g}$   
 we want to send Accelerometer data for 20 m to  
 use it for  $(0 \sim 5) \text{ ADC}$

Solution:

Output range of the Accelerometer  $(0.1 \cdot 0 \sim 0.1 \cdot 8) \text{ V}$



لأن T.cct يقبل المدى من 1V إلى 5V و A/D يحتاج المدى من 0V إلى 5V  
 سنحتاج لاستعمال S.C. الأولى لتحويل خرج المحسوس  
 لـ T.cct والآخرى لتحويل الإشارة لـ A/D

بالنسبة لـ First S.C. سنقوم بزيادة 1 فقط ليصبح  
 المدى من 1V إلى 1.8V وهذا المدى يقبل به في T.cct

بالنسبة لـ second S.C. سنقوم بإتباع الخطوات المعتادة

$$0 = M \cdot 1 + \text{offset}$$

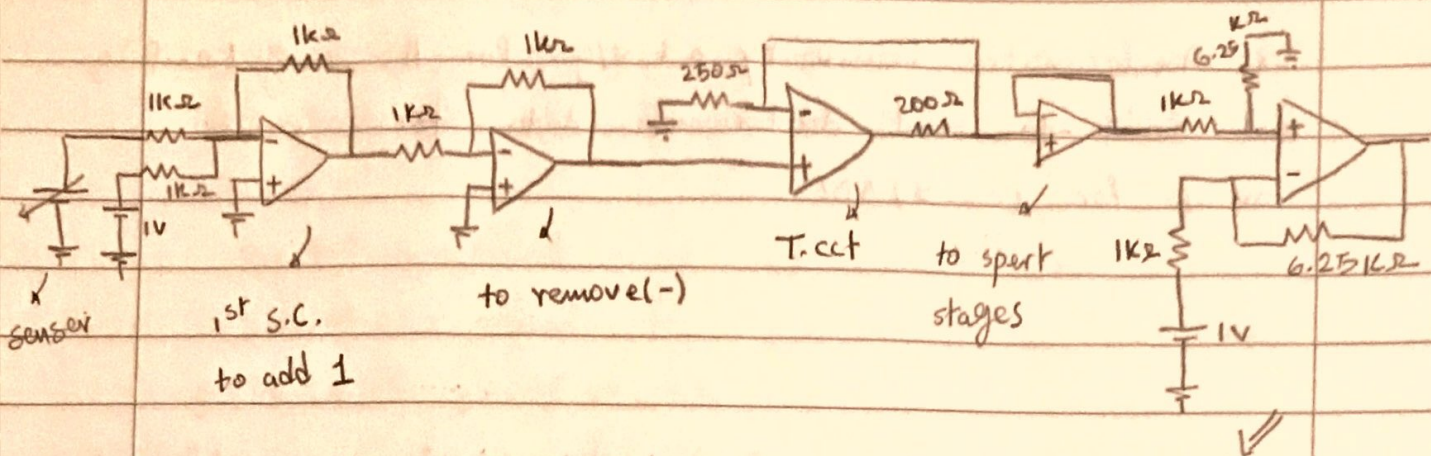
$$5 = M \cdot 1.8 + \text{offset}$$

$$M = 6.25, \text{ offset} = -6.25$$

$$V_0 = 6.25 \cdot 1.2 - 6.25$$







$$V_o = 6.25(V_i - 1)$$





Ex: Temperature sensor sensitivity  $0.2 \text{ mV}/^\circ\text{C}$  in the range  $(0 \sim 100)^\circ\text{C}$  and its output at  $0^\circ\text{C} = 12 \text{ mV}$ .

- Design S.C. circuit for  $(0 \sim 8)$  ADC.
- Write the temperature equation

Solution:

32 mV

Output Range  $(12 \text{ mV} \sim 12 \text{ mV} + 0.2 \text{ mV} \cdot 100)$

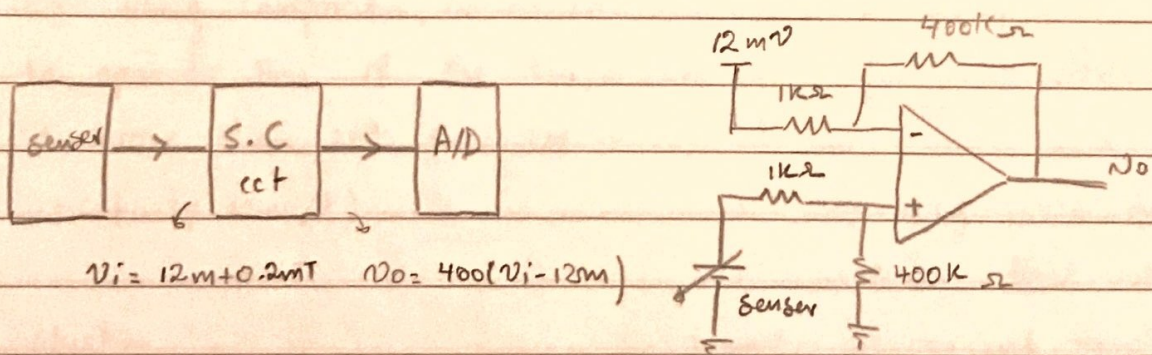
for S.C. ckt

$$0 = M \cdot 12 \text{ m} + \text{offset}$$

$$8 = M \cdot 32 \text{ m} + \text{offset}$$

$$M = 400 \quad \text{offset} = -4.8$$

$$V_o = 400 V_i - 4.8 = 400(V_i - 12 \text{ m})$$

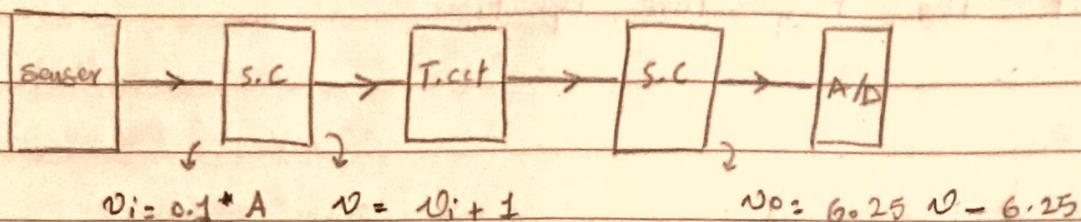


$$V_o = 400(12 \text{ m} + 0.2 \text{ mT} - 12 \text{ m})$$

$$V_o = 80 \text{ mT} \Rightarrow T = \frac{V_o}{80 \text{ m}}$$



Ex: For the last example in the last lecture write acceleration equation.



$$v_0 = 6.25(v_i + 1) - 6.25 = 6.25(0.1A + 1) - 6.25$$

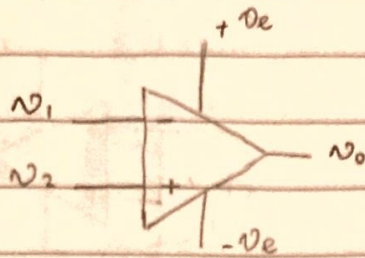
$$v_0 = 6.25 * 0.1A + 6.25 - 6.25$$

$$A = \frac{v_0}{0.625}$$





## Comparator



when

$$V_1 > V_2$$

$$V_0 = -15$$

LM 741 voltage supply

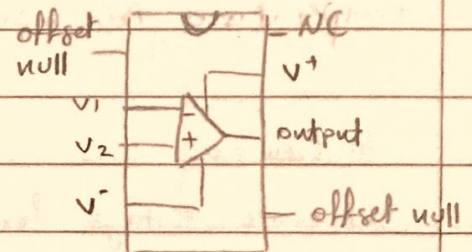
$$\pm 22 \text{ Volt}$$

$$\pm 18 \text{ Volt}$$

$$V_2 > V_1$$

$$V_0 = 15$$

IC 8



Ex: using comparator, Design circuit to operate Fan if the temperature is more than  $25^\circ\text{C}$  (use LM 35 sensitivity  $10\text{mV}/^\circ\text{C}$ )

by using potentiometer between offset null

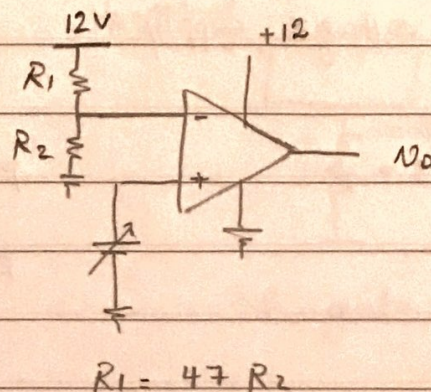
Solution

250mV

we can get zero offset

at  $25^\circ\text{C}$  the output of LM35 =  $10\text{mV} \times 25$

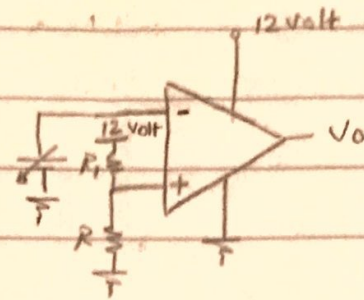
قوة بتوحيدها من ثابت على ال  
inverting input في حالة تجاوز  
non-inverting input هذا الحرج سيكون  
خرج القارن موجب وما يشغل  
Fan ال





Ex: using comparator, Design circuit to operate Heater if the temperature is less than  $18^{\circ}\text{C}$  (Temp. sensor sensitivity  $8\text{mV}/^{\circ}\text{C}$ )

Reference voltage  $18 \times 8\text{m} = 144\text{mV}$



نقوم بتوصيل الحساس بال  $V_1$  لأنه عند  
تكون أقل من  $V_2$  سيكون الخرج موجب  
"كأن  $V_2$  أكبر من  $V_1$ "

$$R_1 = 82.33 R_2$$

Ex: using comparator, Design circuit to operate Heater if temperature is less than  $18^{\circ}\text{C}$  and operate fan if temperature is more than  $30^{\circ}\text{C}$  (senser sensitivity  $5\text{mV}/^{\circ}\text{C}$ )

Solution

Reference voltage for  $18^{\circ}\text{C} = 90\text{mV}$

Reference voltage for  $30^{\circ} = 150\text{mV}$

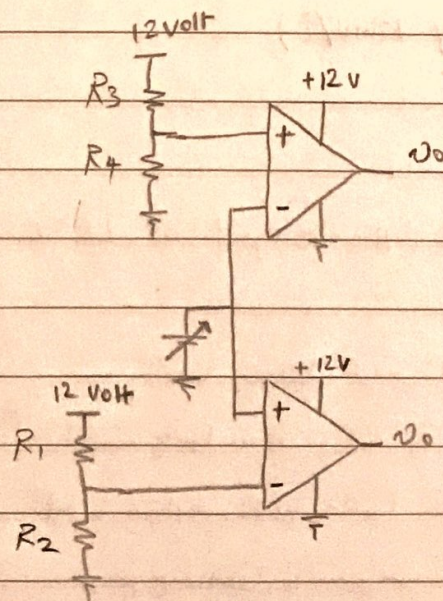
for  $18^{\circ}\text{C}$

$$R_1 = 132.3 R_2$$

for  $30^{\circ}\text{C}$

$$R_3 = 79 R_4$$

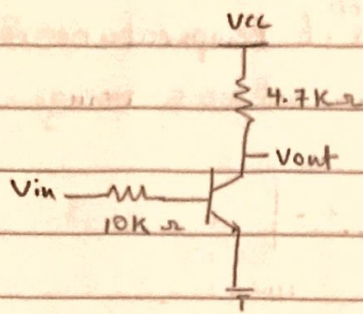
to 12 voltage supply



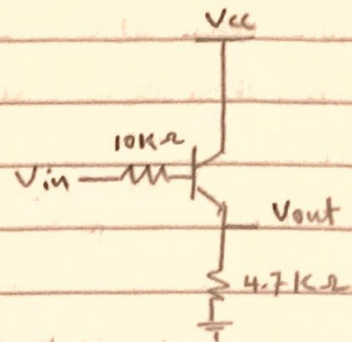


2018/4/23

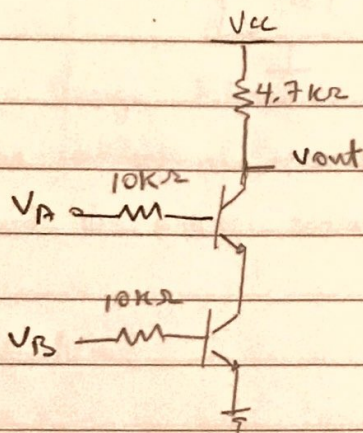
12<sup>th</sup> lecture



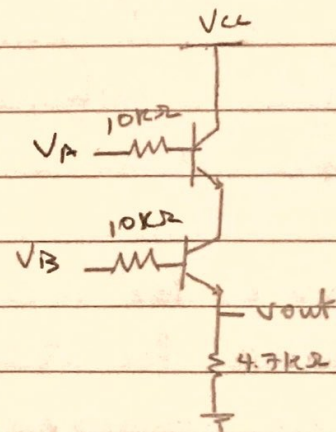
Not gate



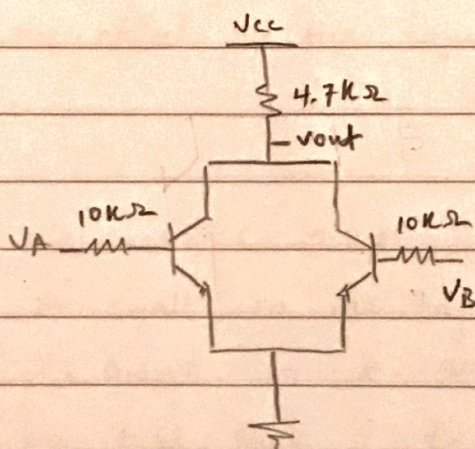
Buffer gate



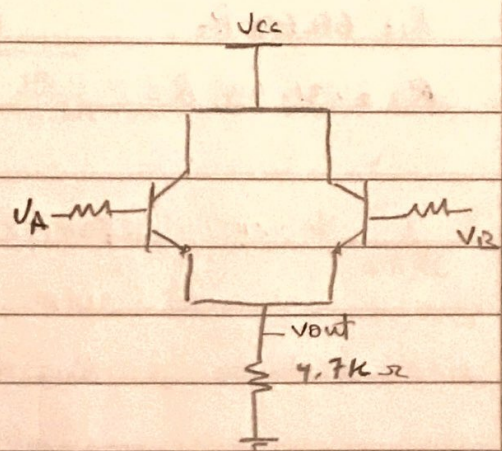
NAND gate



AND gate



NOR gate

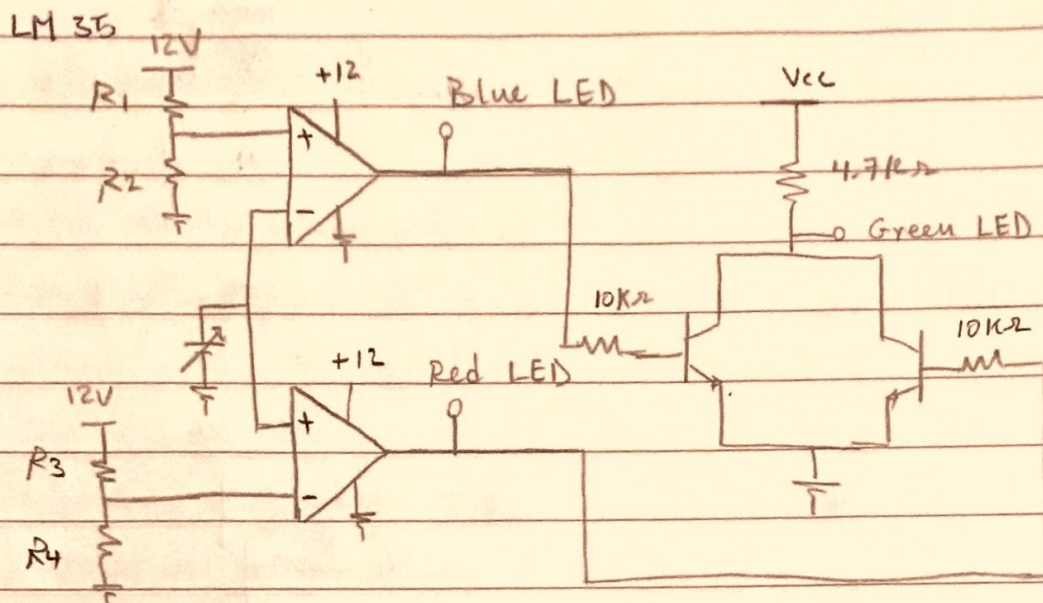


OR gate





Ex: Design circuit operate Red LED if Temperature is more than  $37^{\circ}\text{C}$  and operate blue <sup>LED</sup> if temperature is less than  $15^{\circ}\text{C}$  and Green LED in between using LM 35



Reference for  $18^{\circ}\text{C} = 180\text{mV}$

Reference for  $37^{\circ}\text{C} = 370\text{mV}$

for voltage supply 12 volt

$$R_1 = 65.67 R_2$$

$$R_3 = 31.43 R_2$$

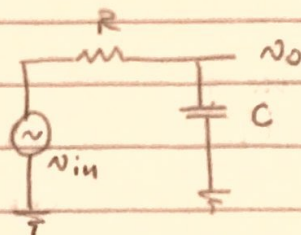




## Filters

## Low Pass Filter

$$f_c = \frac{1}{2\pi RC}$$



$$\frac{v_o}{v_i} = \frac{1}{\sqrt{1 + \left(\frac{f}{f_c}\right)^2}}$$

Ex: Design Filter to attenuate the noise to 1% and calculate the effect of the filter on the signal if the signal = 5V (1kHz) and the noise = 200mV (320kHz)

## Solution

$$1\% = \frac{1}{\sqrt{1 + \left(\frac{320K}{f_c}\right)^2}} \Rightarrow f_c = 3.2 \text{ kHz}$$

the effect on the signal  $\frac{1}{\sqrt{1 + \frac{1K}{3.2K}}} = 95.4\%$

assume  $C = 2.2\mu F$  so  $R = 22.607\Omega$   $f_c = \frac{1}{2\pi RC}$

to small so we try another value

$C = 0.1\mu F$  so  $R = 497.35\Omega$  doesn't a standard value

we take  $510\Omega$   $f_c = 3.202 \text{ kHz}$

the effect on the noise become 1.00057%

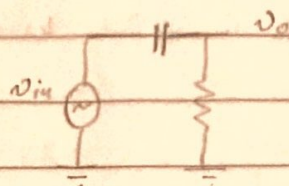
\* Filter make some delay





## High Pass Filter

$$\frac{V_o}{V_i} = \frac{F_s/F_c}{\sqrt{1 + \left(\frac{F_s}{F_c}\right)^2}}$$



Ex: Design filter to attenuate 50Hz noise signal from the required 4 kHz signal.

## Solution

If we want to attenuate the noise 1%

$$0.1\% = \frac{50/F_c}{\sqrt{1 + \left(\frac{50}{F_c}\right)^2}} \Rightarrow F_c = 4.9 \text{ kHz}$$

the attenuation on the required signal = 63.23%

this value is not good so we try another value

For 5% attenuated in the noise signal

$$5\% = \frac{50/F_c}{\sqrt{1 + \left(\frac{50}{F_c}\right)^2}} \Rightarrow F_c = 998.7 \text{ Hz}$$

the attenuation on the required signal = 97.02%



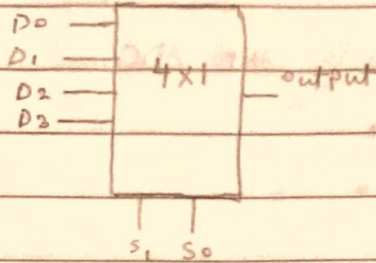


for 10% attenuate on the noise

$$F_c = 497.4 \text{ Hz}$$

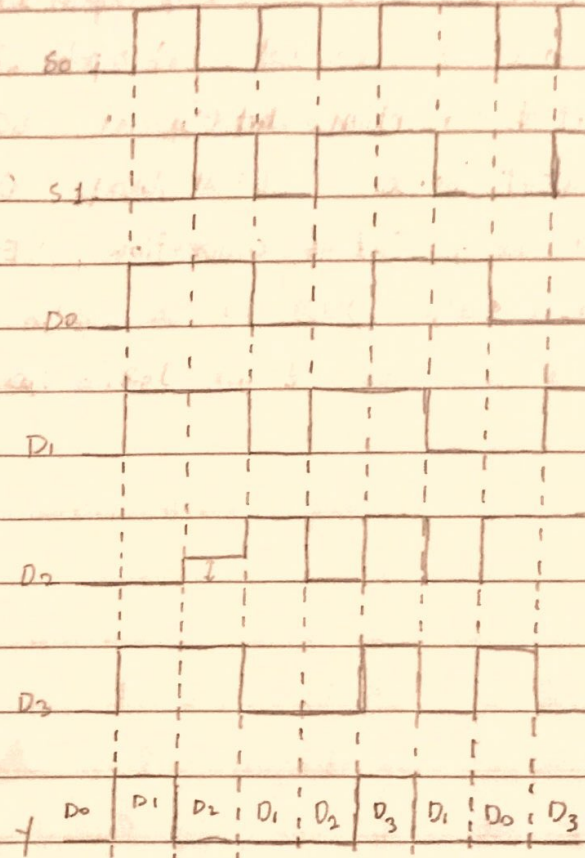
and the attenuation on the required signal = 99%

### \* Multiplexer



ملاحظة: تسمى Multiplexer

بأنها تأخذ input و output  
ولا يبق ذكر selection



Digital Mux

لماذا نستخدم Multiplexer ؟

- يوجد S.C. cct. حيث أنه لو هناك أكثر من sensor من نفس النوع نقوم بتوصيلهم بال Multiplexer و output ندمجه ك input لـ S.C. cct.





# \* Analogy to Digital converter

$$V_{in} = V_m$$

$V_{re}^{+ -}$  هو الجهد الذي وللتحكم بالإشارة

unipolar (أحادي القطبية) : (0 ~ 5) أو (-5 ~ 0)

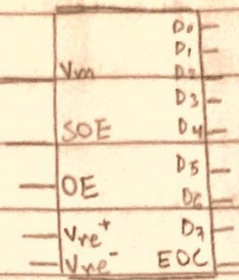
Bipolar (ثنائي القطبية) : (± 2) أو (± 5)

start of conversion : SOC

Output Enable : OE

End of conversion : EOC

تتم مراقبته من قبل المعالج مراقبة شديدة  
هل هو منتهي أو لا



8bit ADC





# \* Analog to Digital converter :

Resolution ( $\Delta V$ ) : أقل قيمة لـ  $V_{ref}^+$  يستطيعها المحول لزيادة  $V_{ref}^-$  1 bit

$$\Delta V = \frac{\text{Voltage reference}}{2^N} = \frac{V_{ref}^+ - V_{ref}^-}{2^N}$$

حيث  $N$  : عدد البتات

أمثلة :  $V_{ref}^+$  و  $V_{ref}^-$  مع A/D

Ex: unipolar  $V_{ref}$  (10 ~ 0) with 4-bit output.

$$\Delta V = \frac{10 - 0}{2^4} = 0.625$$

Digital Output =  $\frac{\text{Analog input}}{\Delta V}$   $\Rightarrow$  for unipolar

Ex: if input 5V, 10V with the same A/D ? what is the Digital Output.

$$\text{Digital output} = \frac{\text{Analog input}}{\Delta V} = \frac{5}{0.625} = 8 = 1000$$

Digital output =  $\frac{10}{0.625} = 16$  which is not valid value because the Maximum value 15





Ex: What is the output of the following ADC, and what is the analog input value if digital output is  $(A7)_H$

Solution:

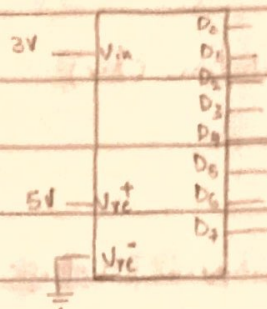
$$\Delta V = \frac{5-0}{2^8} = 19.53 \text{ mV}$$

$$\text{Digital Output} = \frac{3}{19.53 \text{ mV}} = 153.8 = 153 \pm 1$$

$$(10011001)_B$$

$$\text{Digital Output } (A7)_H = (167)_{10}$$

$$\text{Analog input} = \text{Digital output} \cdot \Delta V = 3.26 \text{ V}$$



Ex: temperature sensor sensitivity  $0.8 \text{ mV}/^\circ\text{C}$  in the range  $(0 \sim 60^\circ\text{C})$  and its output value at  $0^\circ\text{C} = 0.75 \text{ V}$ .

Design S.C.cct. for  $(0 \sim 5) \text{ V}$  ADC and what is the temperature final equation.

Solution:

$$\text{Output sensor range } (0.75 \sim 0.75 + 0.8 \text{ m} \cdot 60)$$

$$0 = 0.75 \cdot M + \text{offset}$$

$$M = 104.1667$$

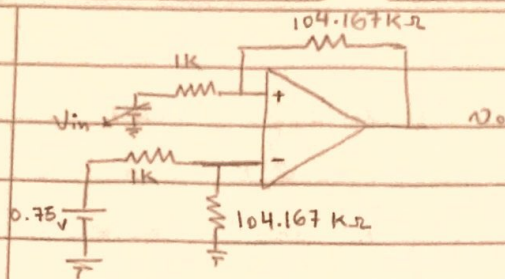
$$5 = 0.798 \cdot M + \text{offset}$$

$$\text{offset} = -78.125$$

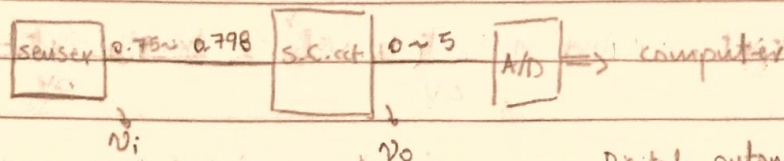
$$V_o = 104.167 V_i - 78.125 = V_o = 104.167 (V_i - 0.75)$$







Signal Conditioning circuit



$$= (0.75 + 0.8mT)$$

$$= 104.167(V_i - 0.75)$$

$$\text{Digital output} = \frac{V_o}{\Delta V}$$

$$\text{Digital output} = \frac{V_o}{\Delta V} = \frac{104.167(V_i - 0.75)}{\Delta V} = \frac{104.167((0.75 + 0.8m * T) - 0.75)}{\Delta V}$$

$$T = \frac{\text{Digital output} * \Delta V}{0.8m * 104.167}$$





2018/5/21

16<sup>th</sup> lecture

Analog to Digital "bipolar"

$$\Delta V = \frac{V_{ref}^+ - V_{ref}^-}{2^N}$$

$$\text{Digital Output} = \frac{\text{Analog input} + V_{ref}^+}{\Delta V} = \frac{\text{Analog input} - V_{ref}^-}{\Delta V}$$

Ex: For Bipolar ADC with  $V_{ref} \pm 3V$ ,  $V_{in} 1.5V$ , 8-bit output what is the Digital output

$$\Delta V = \frac{3 - (-3)}{2^8} = 23.4375 \text{ mV}$$

$$\text{Digital Output} = \frac{1.5 + 3}{23.4375 \text{ mV}} = 192 \quad (1100 \ 0000)_B$$

Ex: For Bipolar ADC with  $\pm 3V$  and 8bit output what is the Digital output for the input 0V

$$\Delta V = \frac{3 - (-3)}{2^8} = 23.4375 \text{ mV}$$

$$\text{Digital Output} = \frac{0 + 3}{\Delta V} = 128 \quad (1000 \ 0000)_B$$





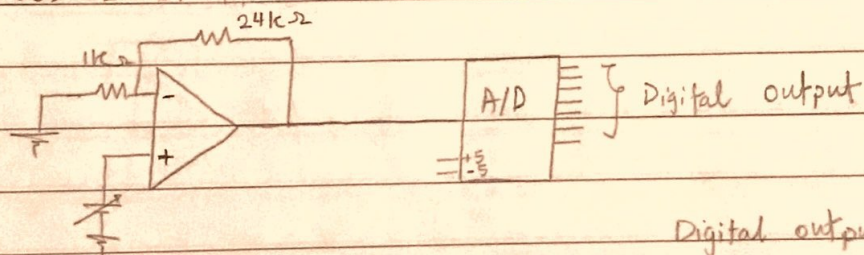
Ex: Using an accelerometer which sensitivity  $10 \text{ mV/g}$  in the range  $\pm 20 \text{ g}$ , Design S.C. ckt. For ADC which reference  $\pm 5 \text{ V}$  with 8-bit output, what is the ADC output at  $3 \text{ g}$ ,  $-7 \text{ g}$ , what is the acceleration equation for this circuit

Solution:  $-200 \text{ mV}$   $200 \text{ mV}$   
 Sensor output range ( $-20 * 10 \text{ mV} \sim 20 * 10 \text{ mV}$ )

$$-5 = -200 \text{ m} M + \text{offset} \quad M = 25$$

$$5 = 200 \text{ m} M + \text{offset} \quad \text{offset} = 0$$

$$V_o = 25 V_i$$



$$\text{Digital output} = \frac{\text{Analog} + 5}{\Delta V}$$

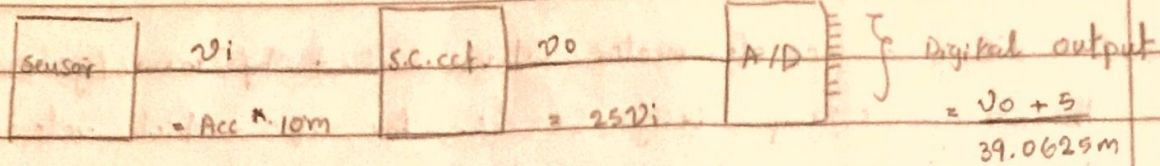
$$V_o = \left(1 + \frac{R_F}{R}\right) V_i$$

$$\Delta V = \frac{5 - (-5)}{2^8} = 39.0625 \text{ mV}$$

Acceleration	$3 \text{ g}$	$-7 \text{ g}$
$V_i = A * 10 \text{ m}$	$30 \text{ mV}$	$-70 \text{ mV}$
$V_o$	$0.75 \text{ V}$	$-1.75 \text{ V}$
Digital output	$147.2 \approx 147$	$83.2 \approx 83$
	$(10010011)_B$	$(01010011)_B$







$$\text{Digital output} = \frac{V_0 + 5}{39.0625m} = \frac{25V_i + 5}{39.0625m} = \frac{25 * 10m * Acc + 5}{39.0625m}$$

$$Acc = \frac{(\text{Digital output} * 39.0625m) - 5}{25 * 10m}$$





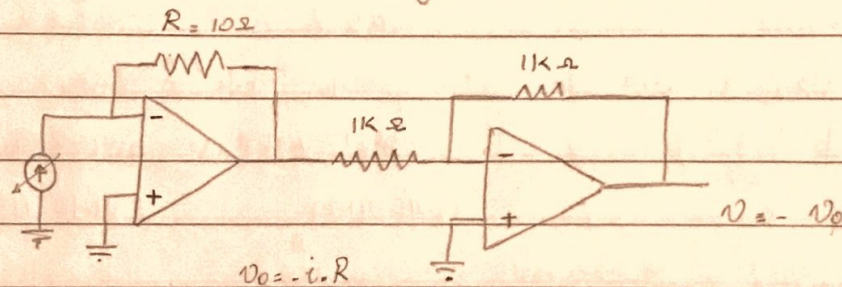
Ex: Using barometer which sensitivity  $10 \text{ mA/bar}$  and its output at zero bar is  $25 \text{ mA}$ , Design S.C. ckt. for the range  $\pm 10 \text{ bar}$  and using ADC ( $V_{\text{ref}} \pm 2 \text{ V}$ ), what is the digital output of ADC at  $-2 \text{ bar}$ ,  $+3.5 \text{ bar}$ , what is the pressure equation will using in the program.

Solution:

$$-75 \text{ mA} \sim 125 \text{ mA}$$

$$\text{Sensor Range Output } (25 \text{ m} + -10 \times 10 \text{ m}) \sim (25 \text{ m} + 10 \times 10 \text{ m})$$

First convert current to voltage



so the Output Range now will be  $(-0.75 \sim 1.25) \text{ V}$

then the S.C. ckt

$$-2 = -0.75 \text{ M} + \text{offset}$$

$$\text{M} = 2$$

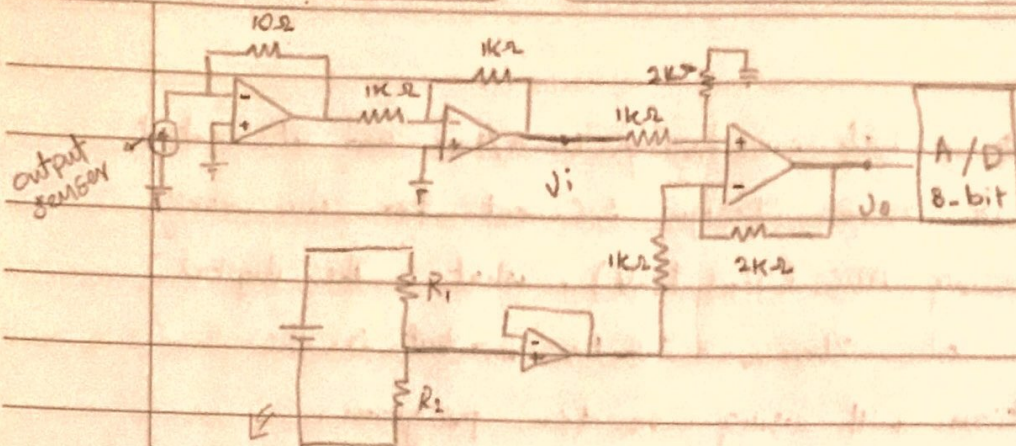
$$2 = 1.25 \text{ M} + \text{offset}$$

$$\text{offset} = -0.5$$

$$V_o = 2V_i - 0.5 = 2(V_i - 0.25)$$





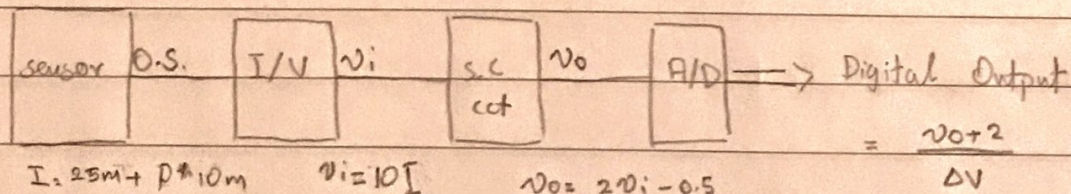


$$0.25 = \frac{3 \times R_2}{R_1 + R_2} \Rightarrow R_1 = 11 R_2$$

Prusser	-2 bar	3.5 bar
Output sensor ( $25 \text{ m} + 10 \times P$ )	5 mV	60 mV
$V_i$ ( $0.5 \times 10$ )	0.05 V	0.6 V
$V_o$ ( $2V_i - 0.5$ )	-0.4	0.7
Digital output ( $\frac{V_o + 2}{\Delta V}$ )	$102.4 \approx 102$ (0110 0110) <sub>B</sub>	$172.8 \approx 173$ (1010 1101) <sub>B</sub>

$$\Delta V = \frac{2 - (-2)}{2^8} = 15.625 \text{ mV}$$

Now the equation



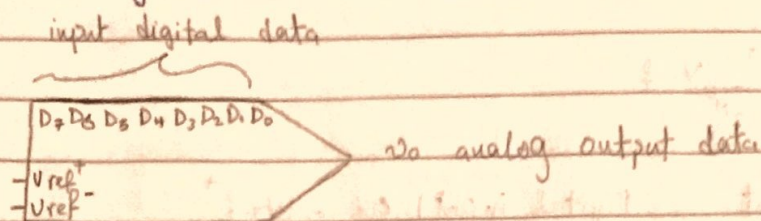
$$\begin{aligned} \text{Digital Output} &= \frac{V_o + 2}{\Delta V} = \frac{2V_i - 0.5 + 2}{\Delta V} = \frac{20I - 0.5 + 2}{\Delta V} \\ &= \frac{20(25 \text{ m} + 10 \text{ m} \times P) - 0.5 + 2}{\Delta V} \end{aligned}$$

$$P = \frac{\text{Digital Output} \times \Delta V - 2}{0.2}$$





## \* Digital to analog (DAC)



For unipolar

$$\Delta V = \frac{V_{ref}}{2^N} \rightarrow \text{number of input bits}$$

$$\text{analog output} = \text{Digital input} * \Delta V$$

Ex: what is the analog value of the Digital input  $(01010101)_B$  with the  $V_{ref} (0 \sim 4)$

 $(85)_D$ 

$$\Delta V = \frac{4}{2^8} = 15.625 \text{ mV}$$

$$\text{Analog value} = 85 * \Delta V = 1.328 \text{ V}$$

Ex: For the DAC with 8-bit input and  $V_{ref} (0 \sim 4)$  what is the value of digital input if the analog value 2.35 V?

$$\text{Digital input} = \frac{\text{Analog Output}}{\Delta V} = \frac{2.35}{15.625} = 150.4 \approx 150 \quad (10010110)_B$$





for bipolar

$$\Delta V = \frac{V_{ref}^+ - V_{ref}^-}{2^N}$$

$$\text{Analog output} = \text{Digital input} \Delta V - V_{ref}^+$$

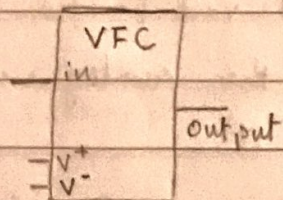
Ex: what is the analog value for DAC with 8-bit input and  $\pm 3$  Vref of the following 0111000, 00001100, 10100000

$$\Delta V = \frac{6}{2^8} = 23.4375 \text{ mV}$$

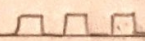
$$\text{Analog output} = (\Delta V * \text{Digital input}) - 3$$

Binary Digital input	0111000	00001100	10100000
Decimal Digital input	120	12	160
Analog output	-0.1875	-2.71875	0.75

\* Voltage to Frequency converter (VFC)



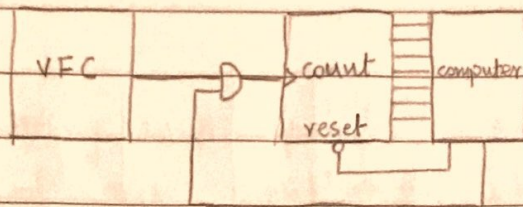
the output is pulses





Ex: if VFC has  $1\text{kHz/V}$  what is the output if the input  $1.25\text{V}$

$$\text{Output} = 1.25\text{V} * 1\text{kHz/V} = 1250\text{Hz}$$



نستعمل ال reset لتفجير ال counter لأنه تركب يقوم بتجميع القراءات معا و لتحديد زمن الدورة الواحدة

Ex: if VFC has  $1\text{kHz/V}$  with  $T = 0.2\text{s}$  and input  $3\text{V}$ , what is the counter output?

$$\text{VFC output} = 3\text{V} * 1\text{kHz/V} = 3000\text{Hz}$$

$$\text{counter output} = 3000\text{Hz} * 0.2 \frac{1}{\text{Hz}} = 600$$

ملحظة: البعض يعتقد أن هذه الدائرة هي أفضل في التحويل من Analog إلى Digital

Ex: if counter output = 150 what is the input if  $T = 0.2\text{s}$  and VFC has  $1\text{kHz/V}$

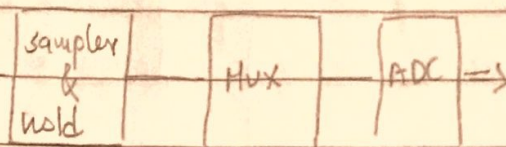
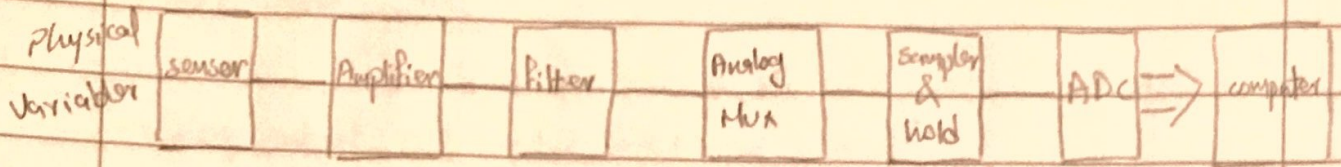
$$\text{counter input} = \frac{150}{0.2} = 750\text{Hz}$$

$$\text{VFC input} = \frac{750\text{Hz}}{1000\text{Hz/V}} = 0.75\text{V}$$





## Data acquisition and conversion



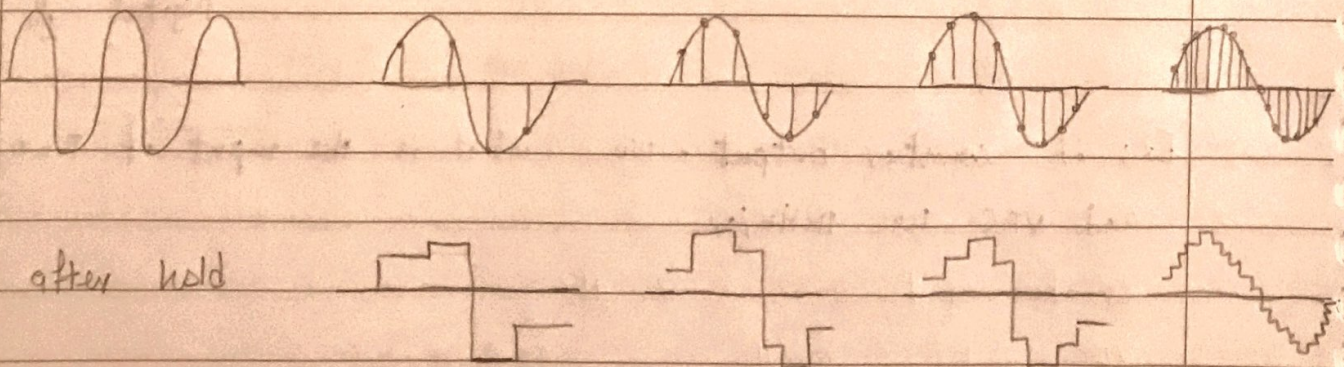
ADC conversion time:  $\Delta t_{\text{ADC}}$

Sampler rate:  $f_s$

↳ one of the most critical factors when selecting an board sampling rate (speed), for example 1K sample.

The sampling rate is a measure of how rapidly the ADC board can scan the input channel and identify the discrete value of signal present with respect to reference signal.

cycle = Time for sampler





if the sampling rate is too slow, then a completely different waveform of lower frequency is constructed from the data required, this effect is called aliasing. To avoid aliasing it's necessary that the sampler rate is be at least twice of the highest expected frequency input.

Over sampling : will provide a true picture of time course of the event being studied but too much over sampling will result in very large data file.

\* Sensor :

Thermal sensors

Relative temperature Scale

$$T(^{\circ}\text{C}) = T(^{\circ}\text{K}) - 273.15$$

$$T(^{\circ}\text{F}) = T(^{\circ}\text{R}) - 459.6$$

$$T(^{\circ}\text{F}) = \frac{9}{5} T(^{\circ}\text{C}) + 32$$

R: Rankine, K: kelvin, F: Fahrenheit, C: Celcius

Ex: Amatenal has temperature of  $335^{\circ}\text{K}$  Find the temperature in  $^{\circ}\text{R}$

$$T(^{\circ}\text{C}) = T(^{\circ}\text{K}) - 273.15 \quad \Rightarrow \quad T(^{\circ}\text{C}) = 61.85$$

$$T(^{\circ}\text{F}) = \frac{9}{5} T(^{\circ}\text{C}) + 32 \quad \Rightarrow \quad T(^{\circ}\text{F}) = 143.33$$

$$T(^{\circ}\text{R}) = T(^{\circ}\text{F}) + 459.6 \quad \Rightarrow \quad T(^{\circ}\text{R}) = 602.93$$

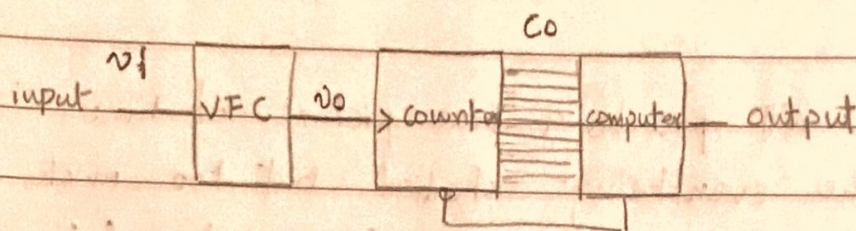




Examples:

if VFC has  $5\text{ KHz/V}$  and the reset time of the counter  $0.02\text{ sec}$  what is the output if

- the input  $1.25\text{ V}$
- the input  $2.43\text{ V}$



Solution

a)

$$f_o = \text{input} * 5\text{ KHz/V} = 6250\text{ Hz}$$

$$C_o = f_o * T = 125$$

b  $f_o = 2.43 * 5\text{ K} = 12150\text{ Hz}$

$$C_o = 12150 * 0.02 = 243$$

the equation of the system:

$$C_o = f_o * T = V_i * \text{rate} * T$$

$$V_i = \frac{C_o}{\text{rate} * T}$$

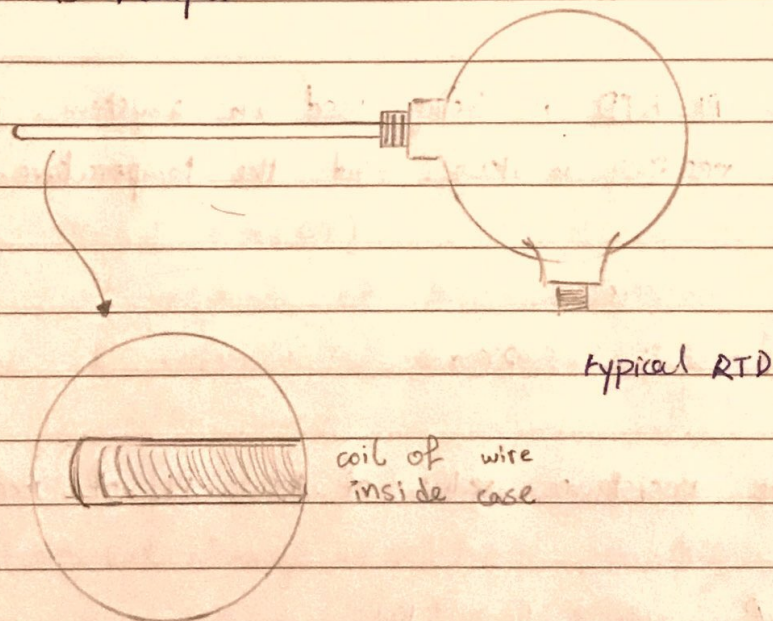




Temperature sensors give an output proportional to temperature. Most temperature sensors have positive coefficient (PTC) (desirable) which means that the sensor output goes up as the temperature goes up.

Some sensors have negative temperature coefficient (NTC) which means that the output goes down as the temperature goes up.

RTD : Resistance temperature detectors : is a temperature sensor based on the fact that metals increase in resistance as temper



A wire, such as platinum, is wrapped around a ceramic or glass rod (sometimes the wire coil is supported between two ceramic rods).





RTDs are available in different resistance, a common value being  $100\Omega$ . Thus, a  $100\Omega$  platinum (Pt  $100$  RTD) has resistance of  $100\Omega$  at  $0^\circ\text{C}$  and has sensitivity of  $0.39\Omega/^\circ\text{C}$

$$R = R_0 + \alpha \Delta T$$

Some characteristics

Sensitivity: dependent on its kind

Response time:  $(0.5 \sim 5)$  sec

الزمن الذي يستغرقه الحساس

للاستجابة لتغير الحرارة

Range: Platinum  $(-100^\circ\text{C} \sim 650^\circ\text{C})$

Nicel  $(-180^\circ\text{C} \sim 300^\circ\text{C})$

Examples:

- A  $100\Omega$  Pt RTD is being used in a system. The present resistance reading is  $110\Omega$ . Find the temperature.

$$R : 110 - 100 = 10\Omega$$

$$T = \frac{10}{0.39} = 25.6^\circ\text{C}$$

Find the resistance value of  $100\Omega$  Pt of  $100\Omega$  at  $10^\circ\text{C}$

$$R = 100 + (0.39 * 10)$$

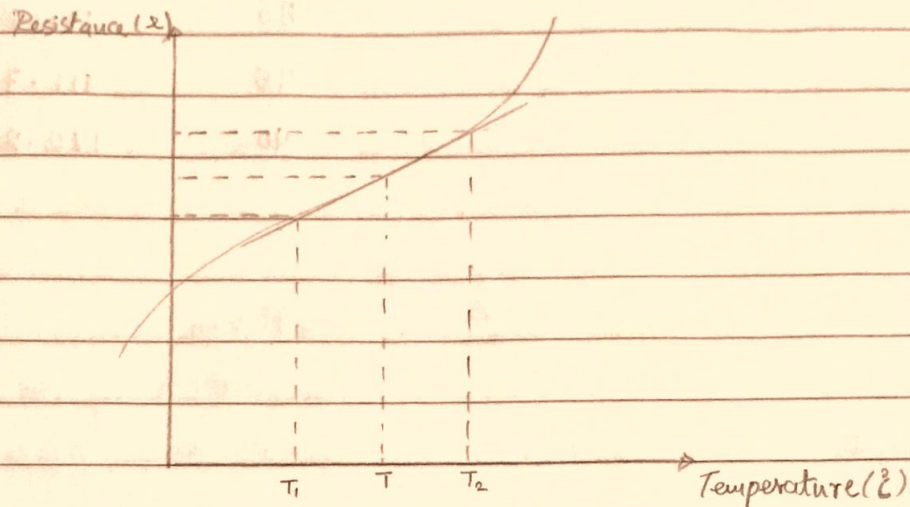
$$R = 103.9\Omega$$





the advantage of RTD is being very accurate and stable. But its disadvantages are low sensitivity, relatively slow response time, and high cost.

RTD linear approximation



$$R(T) = R(T_0) [1 + \alpha_0 \Delta T] \quad T_1 < T < T_2$$

✓  $R(T_0)$  resistance at temperature  $T_0$

approximation of resistance at temperature T

$$\Delta T = T - T_0$$

$\alpha_0$  = fractional change in resistance per degree

$$\alpha_0 = \frac{1}{R(T_0)} \cdot \frac{R_2 - R_1}{T_2 - T_1}$$

$R_2$  = resistance at  $T_2$

$R_1$  = resistance at  $T_1$





Ex:

Find the linear approximation of resistance versus temperature between 60°F to 90°F

T(°F)

R(Ω)

60

106.0

65

107.6

70

109.1

75

110.2

80

111.1

85

111.7

90

112.2

$$\alpha_0 = \frac{1}{R(T_0)} \cdot \frac{R_2 - R_1}{T_2 - T_1}$$

قيمة المقاومة عند درجة الحرارة T<sub>0</sub>  
الفرق بين قيمتي المقاومة

$$\alpha_0 = \frac{1}{110.2} \cdot \frac{112.2 - 106.0}{90 - 60} = 1.8753 \text{ m}$$

check your answer

$$R(60^\circ\text{F}) = 107.1$$

$$\text{error} = -1\%$$

$$R(85) = 112.3$$

$$\text{error} = 0.54\%$$

RTD Quadratic approximation

$$R(T) = R(T_0) [1 + \alpha_1 \Delta T + \alpha_2 (\Delta T)^2]$$

where

R(T) = quadratic approximation of the resistance.

R(T<sub>0</sub>) = resistance at T<sub>0</sub>

$$\Delta T = T - T_0$$

α = linear fractional change in resistance with temperature

α<sub>2</sub> = quadratic fractional change in resistance with temperature





Ex:

T (F°)

R (Ω)

Find the quadratic approximation  
resistance versus temperature  
between 60°F and 90°F

60

106.0

65

107.6

70

109.1

75

110.2

Solution

80

111.1

85

111.7

90

112.2

$$106.0 = 110.2 [1 + \alpha_1 (60 - 75) + \alpha_2 (60 - 75)^2]$$

$$112.2 = 110.2 [1 + \alpha_1 (90 - 75) + \alpha_2 (90 - 75)^2]$$

initially Jan

$$\alpha_1 = 1.8746 \text{ m}$$

$$\alpha_2 = -44.355 \text{ m / (F)}^2$$

check your answer

$$R(60) = 106.0 \text{ } \Omega$$

$$\text{error} = 0\%$$

$$R(85) = 111.8 \text{ } \Omega$$

$$\text{error} = -0.09\%$$

Note the quadratic approximation provides a much  
better approximation of the resistance versus  
temperature





### Thermocouple Tables

tables give the output voltage over a range of temperature in 5°C increments, the reference temperature is 0°C. The temperature in °C and the output in mV.

in case the measured voltage does not fall exactly on a table value, we use interpolate

$$T_M = T_L + \left[ \frac{T_H - T_L}{V_H - V_L} \right] (V_M - V_L)$$

if the temperature does not found

$$V_M = V_L + \left( \frac{V_H - V_L}{T_H - T_L} \right) (T_M - T_L)$$

Ex: A voltage of 23.72 mV is measured with a type K thermocouple at a 0°C reference. Find the temperature of the measurement junction.

$V_M = 23.72$  mV does not found in table, so

We use interpolate

$$T_M = 570^\circ\text{C} + \frac{575 - 570}{(23.84 - 23.63)\text{m}} (23.72 - 23.63)\text{m}$$

$$T_M = 572.1^\circ\text{C}$$





Ex: Find the voltage of a type J thermocouple with  $0^{\circ}\text{C}$  reference if the junction temperature  $-172^{\circ}\text{C}$ .

$$V_M = -7.27 \text{ mV} + \frac{-7.12 + 7.27}{-770 + 180} (-172 + 175)$$

$$V_M = -7.18 \text{ mV}$$

change of Table reference Termocouple  
it is possible to use tables with TC has a different reference temperature by an appropriate shift in the table scale.

يعني أنه في حالة كان TC لديه مرجعية أخرى غير الصفر  
فإن قيمة الجهد تساوي

$$\text{قيمة الجهد عند المرجعية الجديدة} = \text{قيمة الجهد عند المرجعية القديمة} - \text{قيمة الجهد عند الصفر}$$

Example  $V_{30}(T) = V_0(T) - V_0(30)$

